

	SS	df	MS = $\frac{SS}{df}$	F
REG.	81.523	1	81.523	76.047
RES.	8.577	8	1.072	
	90.100	9	10.01	
		N-1		

k = number of independent variables

①  $q = N - 1$   
 $q + 1 = N$   
 $10 = N$

③  $1 - R^2 = 1 - 0.905 = 0.095 \geq 0.1$

$$R^2 = \frac{SS_{exp}}{SS_T} = \frac{81.523}{90.100} = 0.905$$

④  $F_{t(1,8)} = 5.32$

⑤  $F_{emp} = 76.047 > F_t = 5.32$  — ~~H<sub>0</sub>~~

$R^2 = 0.905 (> 0.67)$  — High effect size

The effect probably exists

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	SV	SS	df	MS	F
BETW	1380.78	$k - 1$	4	1380.78	261.363
WIT	105.667	$k(n - 1)$	20	5.283	
TOT		$n - 1$	23		

$$SS_B = \frac{n \sum a_j \bar{y}_j}{\sum a^2} = \frac{6 [1 \cdot 14.33 + 1 \cdot 11 + (-1) \cdot 25.5 + (-1) \cdot 30.17]}{(1)^2 + (1)^2 + (-1)^2 + (-1)^2}$$

$$= \frac{6 \cdot [14.33 + 11 - 25.5 - 30.17]}{4} = \frac{6 \cdot (-30.34)}{4} = \frac{6 \cdot 920.52}{4} = \frac{5523.12}{4} = 1380.78$$

⑮  $F_{emp} = 261.363 > F_t(0.05, 1, 20) = 4.35$  — ~~H<sub>0</sub>~~